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Mass

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small volume element. In the absence of a source  
conservation of mass can be written as follows:

$$\frac{\partial \rho}{\partial t} + \frac{\partial (\rho u_i)}{\partial x_i} = 0. \tag{2.1}$$

In the context of reactive flows a formulation of the conservation of mass for  $n$  species is desirable. In this case a species source term or sink term is likely to be present due to the reaction. In contrast to the total mass balance a diffusion term has to be included here, since species fractions may be spatially non-uniform. Defining the mass fraction of the species  $k$ :

$$Y_k = \frac{\rho_k}{\sum_{k=1}^n \rho_k}, \tag{2.2}$$

$$\frac{\partial (\rho Y_k)}{\partial t} + \frac{\partial (\rho u_j Y_k)}{\partial x_j} = \frac{\partial}{\partial x_j} \left[ \rho D_k \frac{M_k}{M} \frac{\partial X_k}{\partial x_j} - Y_k V_i^c \right] + \mathcal{S}_i, \tag{2.3}$$

where the first term on the right hand side accounts for diffusion, with  $X_k$  being the molar fraction of species  $k$ ,  $M_k$  the molar weight of species  $k$  and  $D_k$  being the diffusion coefficient for species  $k$ . The term  $V_i^c$  is defined as

$$V_i^c = \sum_{k=1}^n D_k \frac{M_k}{M} \frac{\partial X_k}{\partial x_i} \tag{2.4}$$

and ensures global mass conservation after introduction of the diffusion law [2].

### 2.1.2 The Compressible Navier-Stokes Equations

The Navier-Stokes equations are named after the French mathematician and physician Claude Louis Marie Henri Navier and the English mathematician and physician Sir George Gabriel Stokes. They can be derived from a balance of mo

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Leicht zu erkennen ist Letter am deutlich zu geringen Rand unten.



### 2.1.1 The Conservation of Mass

The conservation of mass can be derived by considering the mass-fluxes entering and leaving an infinitely small volume element. In the absence of a source of mass, the equation of the conservation of mass can be written as follows:

$$\frac{\partial \rho}{\partial t} + \frac{\partial (\rho u_i)}{\partial x_i} = 0. \quad (2.1)$$

In the context of reactive flows a formulation of the conservation of mass for  $n$  species is desirable. In this case a species source term or sink term  $\mathcal{S}_k$  is likely to be present due to the reaction. In contrast to the total mass balance, a diffusion term has to be included here, since species fractions may be spatially non-uniform. Defining the mass fraction of the species  $k$ :

$$Y_k = \frac{\rho_k}{\sum_{i=1}^n \rho_i}, \quad (2.2)$$

$$\frac{\partial (\rho Y_k)}{\partial t} + \frac{\partial (\rho u_j Y_k)}{\partial x_j} = \frac{\partial}{\partial x_j} \left[ \rho D_k \frac{M_k}{M} \frac{\partial X_k}{\partial x_j} - Y_k V_i^c \right] + \mathcal{S}_i, \quad (2.3)$$

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### 2.1.2 The Compressible Navier-Stokes Equations

The Navier-Stokes equations are named after the French mathematician and physician Claude Louis Marie Henri Navier and the English mathematician and physician Sir George Gabriel Stokes. They can be derived from a balance of momentum and energy. **So muss es aussehen :-)**